

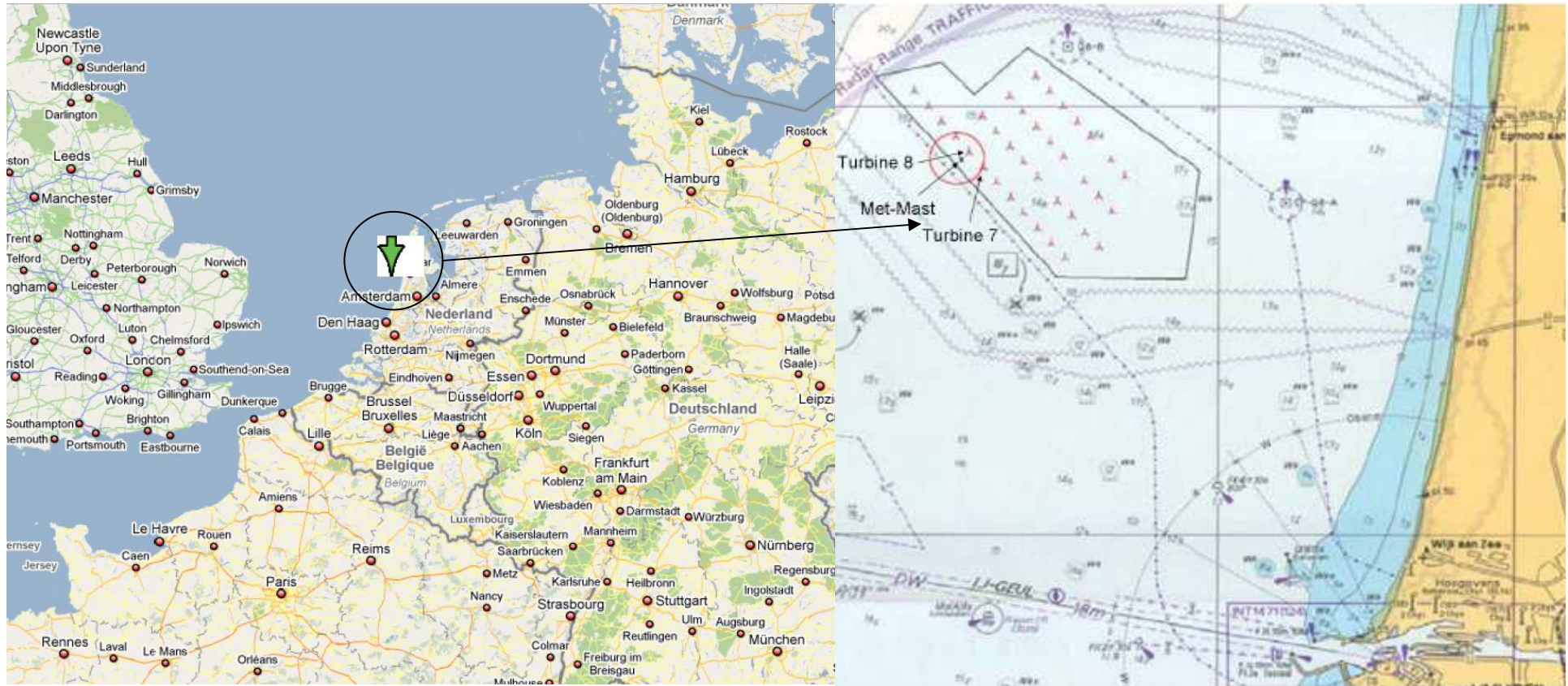
OWEZ data analysis

Ameya Sathe
TU Delft

Introduction

- PhD objective – Make use of the site data and derive wind conditions relevant for loading
- Validation of wind shear with the measurements and atmospheric stability analysis
- Deriving momentum fluxes using Lidar

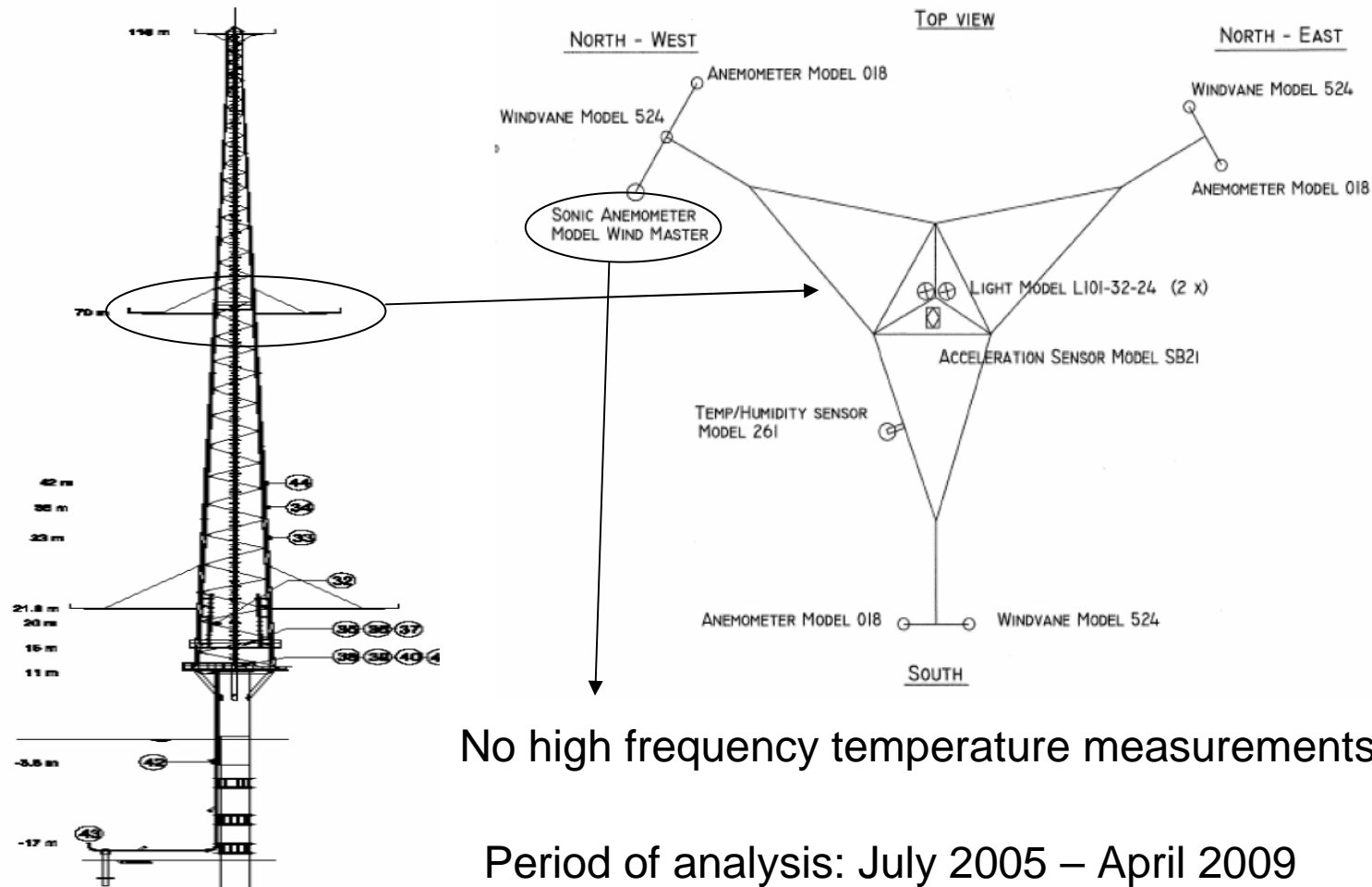
Measurement site



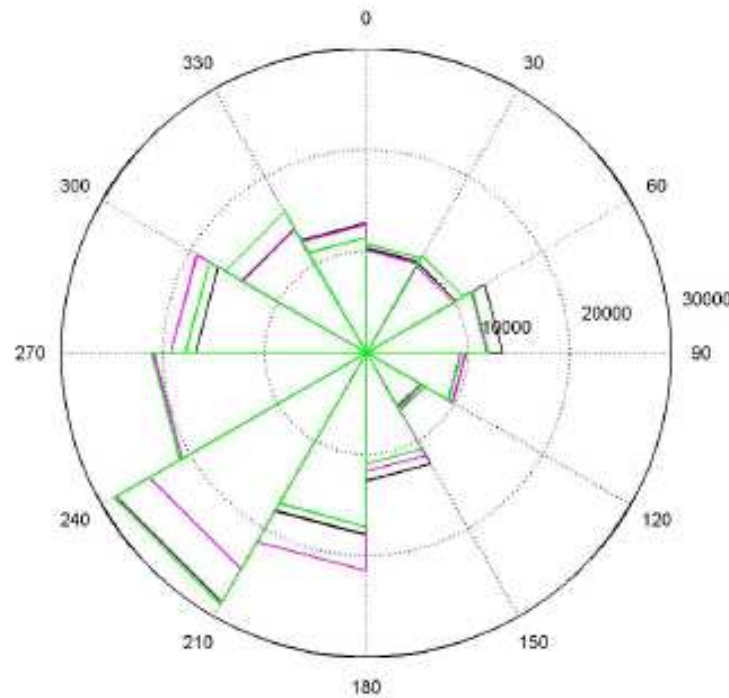
Henk Kouwenhoven, 2007

Site – Egmond aan Zee, Dutch North Sea, Water Depth ~ 20m
Distance to coast ~ 18 km, A dedicated met mast, 36 Vestas V90 turbines

Measurements

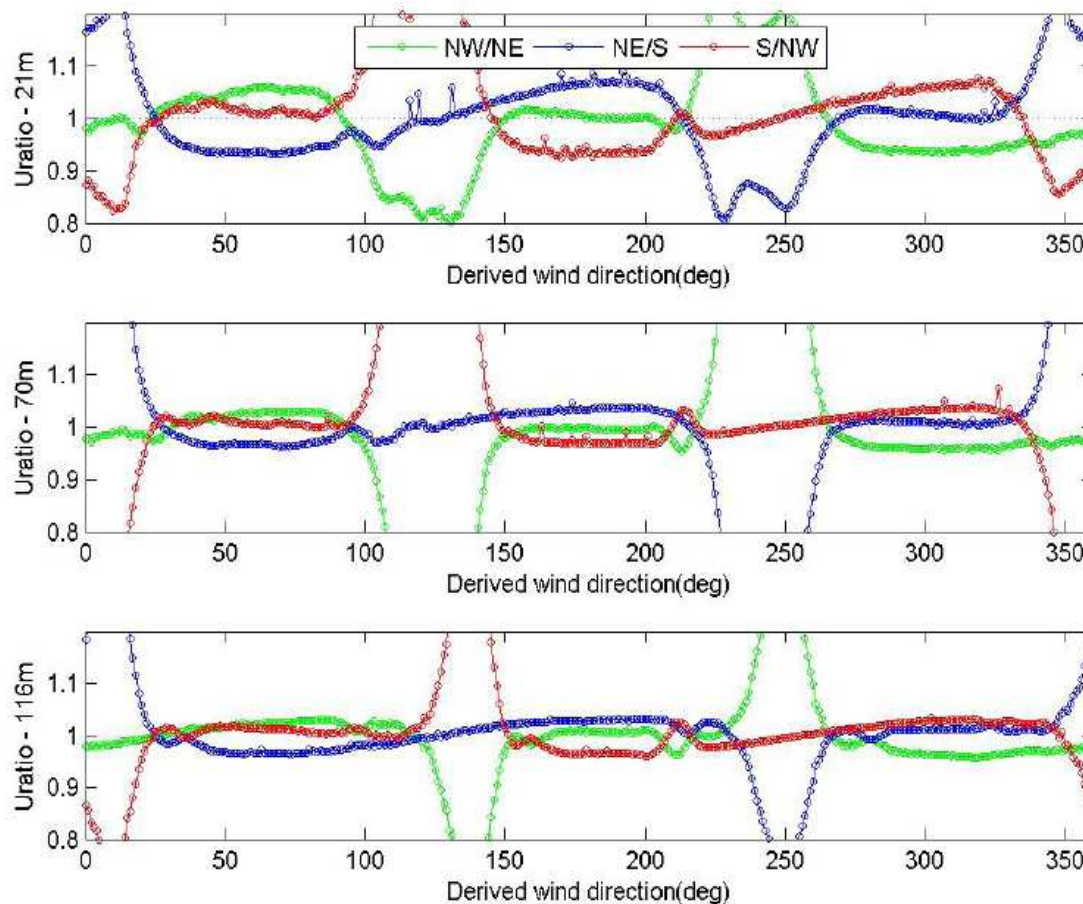


Preliminary data analysis

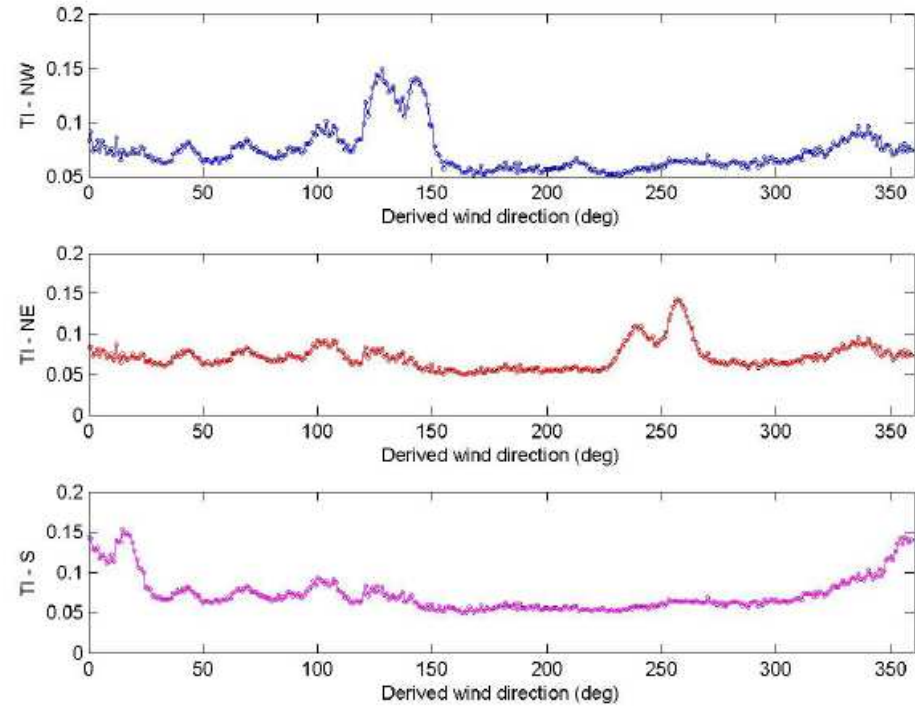
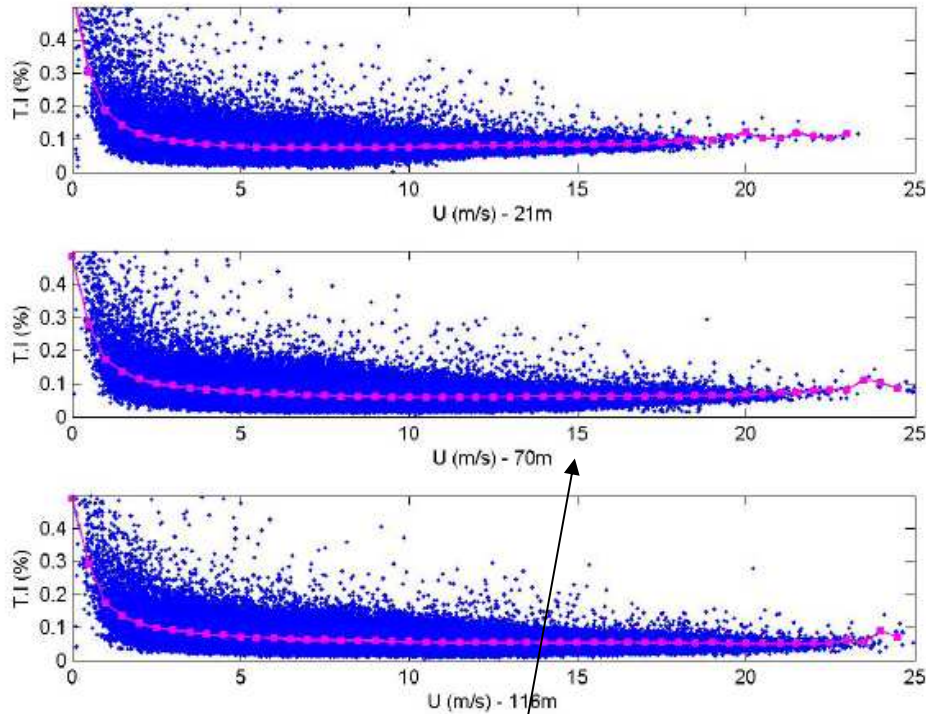


Reference Directional Sectors	Sensors used at each height		
	21m	70m	116m
0° – 30°	NW,NE	NE,S	NW,NE
30° – 60°	NW,NE	NW,S	NW,NE
60° – 90°	NE,S	NW,S	NE,S
90° – 120°	NW,S	NW,S	NE,S
120° – 150°	NE,S	NE,S	NE,S
150° – 180°	NE,S	NW,NE	NE,S
180° – 210°	NW,S	NW,S	NW,S
210° – 240°	NW,S	NW,S	NW,S
240° – 270°	NW,S	NW,NE	NW,S
270° – 300°	NW,S	NE,S	NE,S
300° – 330°	NW,NE	NW,NE	NW,NE
330° – 360°	NW,NE	NW,NE	NW,NE

Preliminary data analysis



Preliminary data analysis



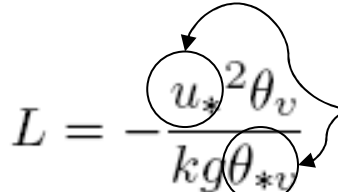
IEC, T.I., 15 m/s >> **0.066** at hub height

Theory of wind profiles

$$U = \frac{u_*}{k} \left[\ln\left(\frac{z}{z_0}\right) - \psi_m\left(\frac{z}{L}\right) \right] \quad \theta_2 = \theta_1 + \frac{\theta_*}{k} \left[\ln\left(\frac{z}{z_t}\right) - \psi_t \right]$$

$$\psi = 2 \ln\left(\frac{1+x}{2}\right) + \ln\left(\frac{1+x^2}{2}\right) - 2 \tan^{-1}(x) - \frac{\pi}{2} \dots \text{for } \frac{z}{L} < 0$$

$$\psi = -\beta \frac{z}{L} \dots \text{for } \frac{z}{L} > 0$$

$$z_0 = \alpha \frac{u_*^2}{g} \quad L = -\frac{u_*^2 \theta_v}{kg \theta_{*v}} \quad \text{Crucial parameters} \quad z_s = 0.025 \frac{u_*}{f_c}$$


Methods used to estimate L

- Profile methods
 - 3 variants
 - Iteration of wind profile equation

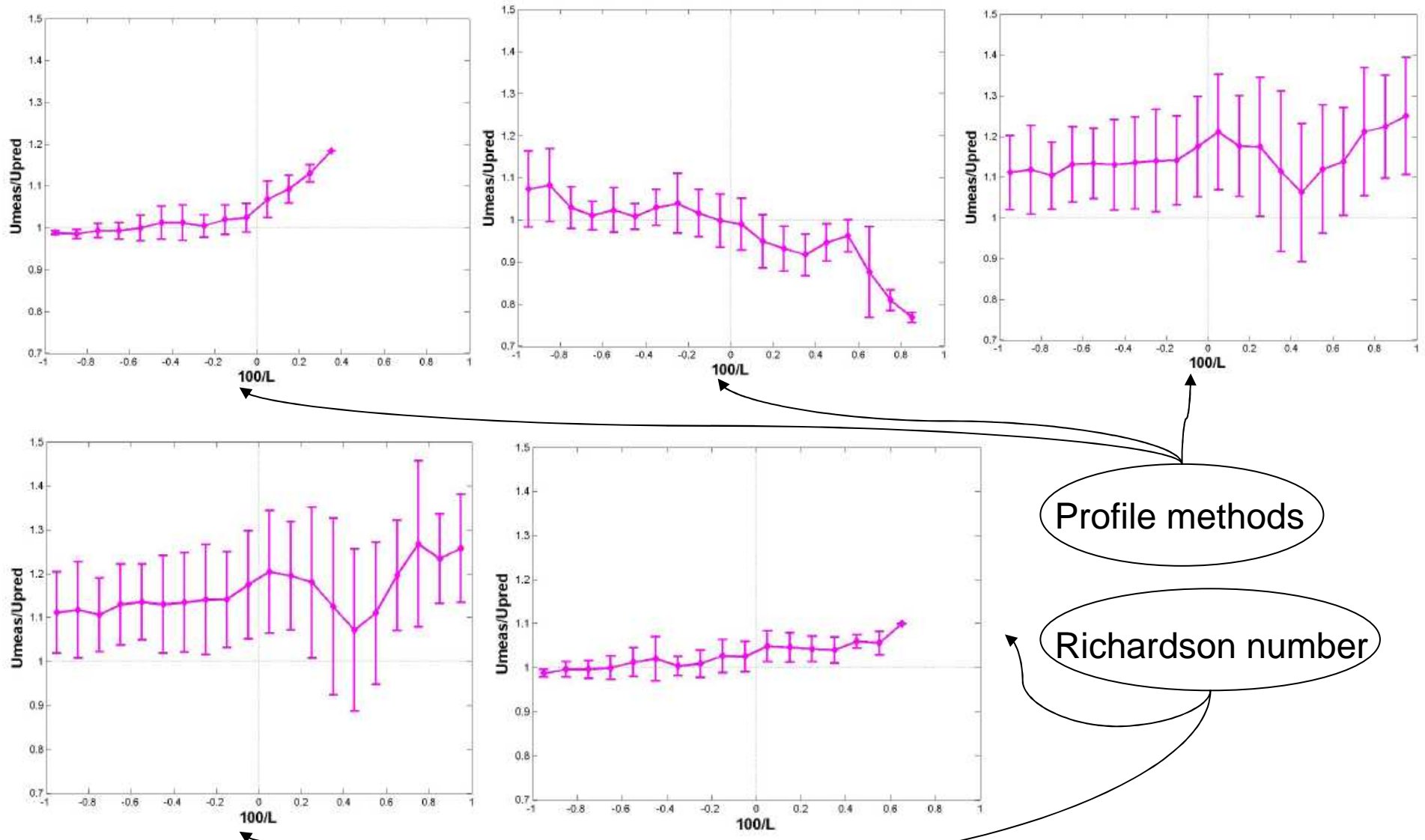
- Richardson number

- Gradient $Ri_g = \frac{g\overline{\Delta\theta_v}\Delta z}{\overline{\theta_v}(\overline{\Delta U})^2}$

Data used
 Mean wind speed,
 Sea temperature
 Air temperature

- Bulk $Ri_b = \frac{g\overline{\Delta\theta_v}z}{\overline{\theta_v}(\overline{U})^2}$

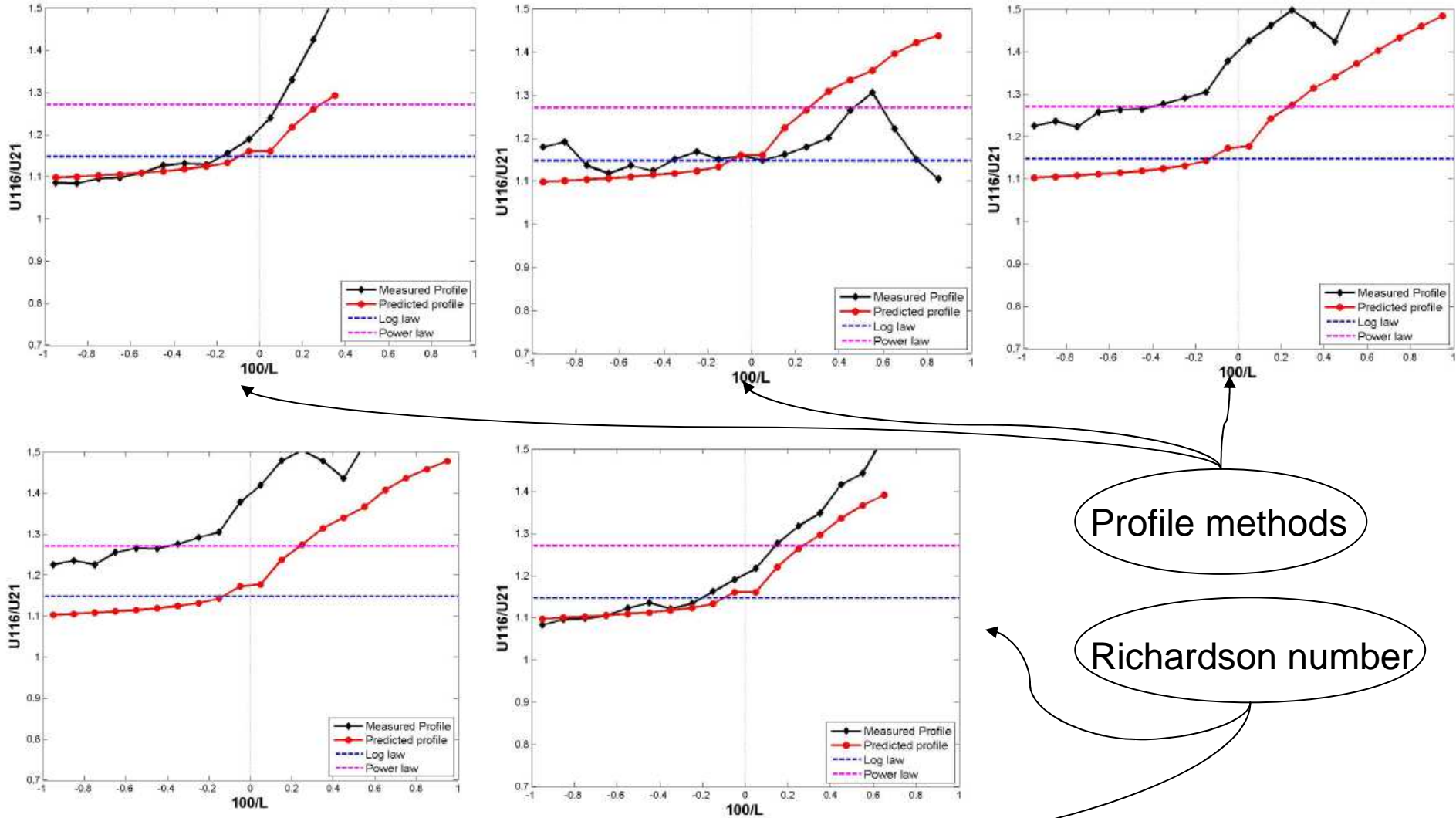
Validation of wind shear



Profile methods

Richardson number

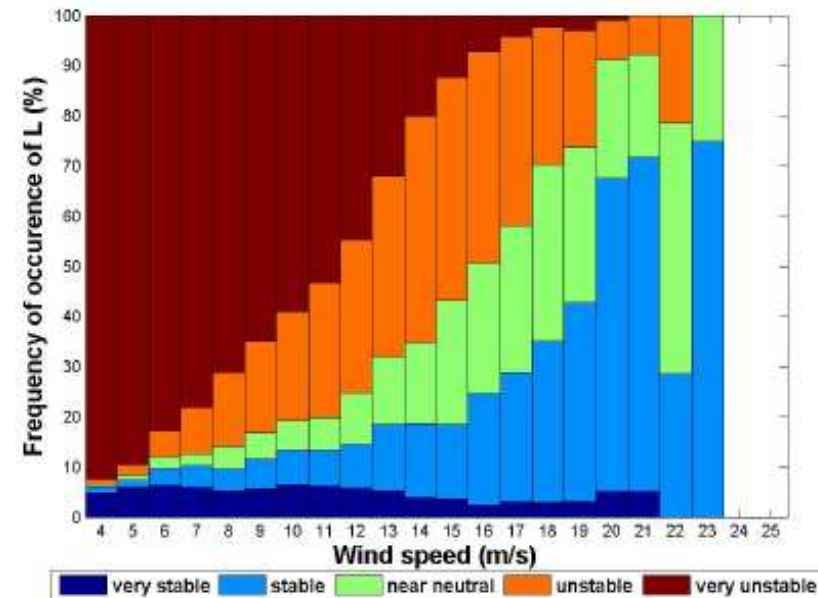
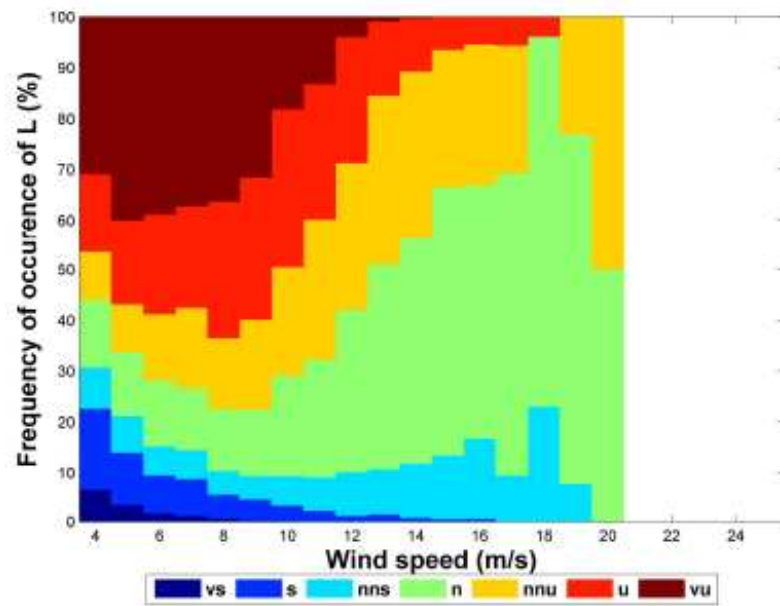
Validation of wind shear



Profile methods

Richardson number

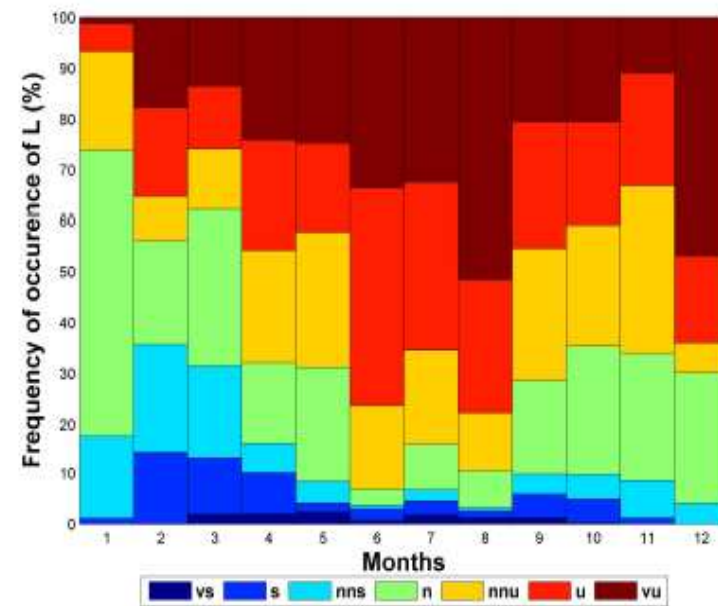
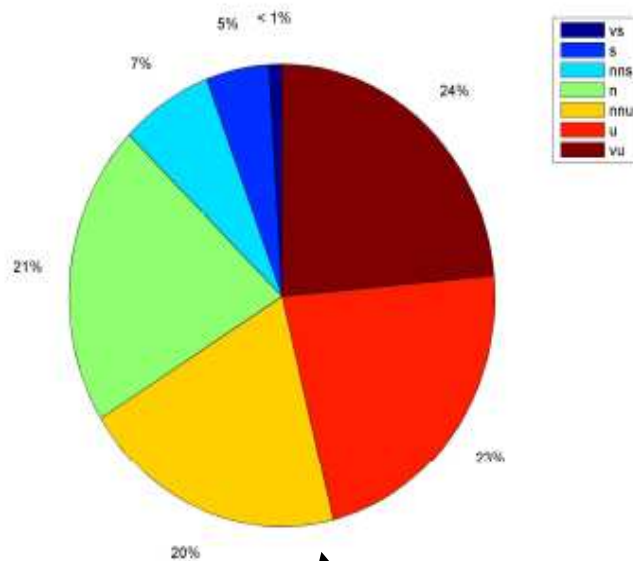
Stability conditions



Stability condition	Range
very stable (vs)	$10 < L < 50$
stable (s)	$50 < L < 200$
near-neutral stable (nns)	$200 < L < 500$
neutral (n)	$ L > 500$
near-neutral unstable (nnu)	$-500 < L < -200$
unstable (u)	$-200 < L < -100$
very unstable (vu)	$-100 < L < -50$

very stable	$0 < L < 200$ m
stable	$200 < L < 1000$ m
near-neutral	$ L > 1000$ m
unstable	$-1000 < L < -200$ m
very unstable	$-200 < L < 0$ m

Stability conditions



Compares well with the work of Coeling et al, 1996

Conclusions

- Method to estimate L is crucial, Bulk Ri is the best
- MO-theory restricted to surface layer and hence large reduction in data
- Conditions at Egmond aan Zee are mainly unstable
- Classification of L has a major impact on the interpretation of stability conditions
- Better wind shear models are required that go beyond the surface layer

Future work

- Estimation of u^* with sonic data and comparison with other methods
- Use of model developed by Gryning et al to extrapolate wind profiles beyond the surface layer
- (Possibly) estimate the uncertainty in the analysis

Thank you